Graduate Aptitude Test In Engineering

GATE **CHEMISTRY UP TO DATE Solved Papers 2007- Till Date**

Chief Editor A.K. Mahajan

Compiled by Anand Soni and Gaurav Mishra

Computer Graphics by Balkrishna Tripathi & Vinay Sahu

Editorial Office

12, Church Lane Prayagraj-211002 **Mob. : 9415650134 Email : yctap12@gmail.com website : www.yctbooks.com/ www.yctfastbook.com All Rights Reserved with Publisher**

Publisher Declaration

Edited and Published by A.K. Mahajan for YCT Publications Pvt. Ltd. and printed by Om Sai Offset. In order to Publish the book, full care has been taken by the Editor and the Publisher, still your suggestions and queries are welcomed. In the event of any dispute, the judicial area will be Prayagraj. (Rs. : 435/-

<u>विषय-सूची</u>

GATE CY Chemistry Syllabus

Section 1: Physical Chemistry

Structure: Postulates of quantum mechanics. Operators. Time dependent and time independent Schrödinger equations. Born interpretation. Dirac bra-ket notation. Particle in a box: infinite and finite square wells; concept of tunnelling; particle in 1D, 2D and 3D-box; applications. Harmonic oscillator: harmonic and anharmonic potentials; hermite polynomials. Rotational motion: Angular momentum operators, Rigid rotor. Hydrogen and hydrogen-like atoms : atomic orbitals; radial distribution function. Multi-electron atoms: orbital approximation; electron spin; Pauli exclusion principle; slater determinants. Approximation Methods: Variation method and secular determinants; first order perturbation techniques. Atomic units. Molecular structure and Chemical bonding: BornOppenheimer approximation; Valence bond theory and linear combination of atomic orbitals – molecular orbital (LCAO-MO) theory. Hybrid orbitals. Applications of LCAO-MO theory to H2 +, H2; orbital theory (MOT) of homo- and heteronuclear diatomic molecules. Hückel approximation and its application to annular π – electron systems.

Group theory: Symmetry elements and operations; Point groups and character tables; Internal coordinates and vibrational modes; symmetry adapted linear combination of atomic orbitals (LCAOMO); construction of hybrid orbitals using symmetry aspects.

Spectroscopy: Atomic spectroscopy; Russell-Saunders coupling; Term symbols and spectral details; origin of selection rules. Rotational, vibrational, electronic and Raman spectroscopy of diatomic and polyatomic molecules. Line broadening. Einstein's coefficients. Relationship of transition moment integral with molar extinction coefficient and oscillator strength. Basic principles of nuclear magnetic resonance: gyromagnetic ratio; chemical shift, nuclear coupling.

Equilibrium: Laws of thermodynamics. Standard states. Thermochemistry. Thermodynamic functions and their relationships: Gibbs-Helmholtz and Maxwell relations, Gibbs-Duhem equation, van't Hoff equation. Criteria of spontaneity and equilibrium. Absolute entropy. Partial molar quantities. Thermodynamics of mixing. Chemical potential. Fugacity, activity and activity coefficients. Ideal and Non-ideal solutions, Raoult's Law and Henry's Law, Chemical equilibria. Dependence of equilibrium constant on temperature and pressure. Ionic mobility and conductivity. Debye-Hückel limiting law. Debye-Hückel-Onsager equation. Standard electrode potentials and electrochemical cells. Nernst Equation and its application, relationship between Electrode potential and thermodynamic quantities, Potentiometric and conductometric titrations. Phase rule. ClausiusClapeyron equation. Phase diagram of one component systems: CO2, H2O, S; two component systems: liquid- vapour, liquid-liquid and solid-liquid systems. Fractional distillation. Azeotropes and eutectics. Statistical thermodynamics: microcanonical, canonical and grand canonical ensembles, Boltzmann distribution, partition functions and thermodynamic properties.

Kinetics (Topic have been rearranged): Elementary, parallel, opposing and consecutive reactions. Steady state approximation. Mechanisms of complex reactions. Unimolecular reactions. Potential energy surfaces and classical trajectories, Concept of Saddle points, Transition state theory: Eyring equation, thermodynamic aspects. Kinetics of polymerization. Catalysis concepts and enzyme catalysis. Kinetic isotope effects. Fast reaction kinetics: relaxation and flow methods. Diffusion controlled reactions. Kinetics of photochemical and photophysical processes.

Surfaces and Interfaces: Physisorption and chemisorption. Langmuir, Freundlich and Brunauer– Emmett–Teller (BET) isotherms. Surface catalysis: Langmuir-Hinshelwood mechanism. Surface tension, viscosity. Self-assembly. Physical chemistry of colloids, micelles and macromolecules.

Section 2: Inorganic Chemistry

Main Group Elements: Hydrides, halides, oxides, oxoacids, nitrides, sulfides – shapes and reactivity. Structure and bonding of boranes, carboranes, silicones, silicates, boron nitride, borazines and phosphazenes. Allotropes of carbon, phosphorous and sulphur. Industrial synthesis of compounds of main group elements. Chemistry of noble gases, pseudohalogens, and interhalogen compounds. Acid-base concepts and principles (Lewis, Brønsted, HSAB and acid-base catalysis).

Transition Elements: Coordination chemistry – structure and isomerism, theories of bonding (VBT, CFT, and MOT). Energy level diagrams in various crystal fields, CFSE, applications of CFT, JahnTeller distortion. Electronic spectra of transition metal complexes: spectroscopic term symbols, selection rules, Orgel and Tanabe-Sugano diagrams, nephelauxetic effect and Racah parameter, charge-transfer spectra. Magnetic properties of transition metal complexes. Ray-Dutt and Bailar twists, Reaction mechanisms: kinetic and thermodynamic stability, substitution and redox reactions. Metal-metal multiple bond.

Lanthanides and Actinides: Recovery. Periodic properties, spectra and magnetic properties.

Organometallics: 18-Electron rule; metal-alkyl, metal-carbonyl, metal-olefin and metal- carbene complexes and metallocenes. Fluxionality in organometallic complexes. Types of organometallic reactions. Homogeneous catalysis - Hydrogenation, hydroformylation, acetic acid synthesis, metathesis and olefin oxidation. Heterogeneous catalysis - Fischer- Tropsch reaction, Ziegler-Natta polymerization.

Radioactivity: Detection of radioactivity, Decay processes, half-life of radioactive elements, fission and fusion processes.

Bioinorganic Chemistry: Ion (Na+ and K+) transport, oxygen binding, transport and utilization, electron transfer reactions, nitrogen fixation, metalloenzymes containing magnesium, molybdenum, iron, cobalt, copper and zinc.

Solids: Crystal systems and lattices, Miller planes, crystal packing, crystal defects, Bragg's law, ionic crystals, structures of AX, AX2, ABX3 type compounds, spinels, band theory, metals and semiconductors.

Instrumental Methods of Analysis: UV-visible, fluorescence and FTIR spectrophotometry, NMR and ESR spectroscopy, mass spectrometry, atomic absorption spectroscopy, Mössbauer spectroscopy (Fe and Sn) and X-ray crystallography. Chromatography including GC and HPLC. Electroanalytical methods- polarography, cyclic voltammetry, ion-selective electrodes. Thermoanalytical methods.

Section 3: Organic Chemistry

Stereochemistry: Chirality and symmetry of organic molecules with or without chiral centres and determination of their absolute configurations. Relative stereochemistry in compounds having more than one stereogenic centre. Homotopic, enantiotopic and diastereotopic atoms, groups and faces. Stereoselective and stereospecific synthesis. Conformational analysis of acyclic and cyclic compounds. Geometrical isomerism and optical isomerism. Configurational and conformational effects, atropisomerism, and neighbouring group participation on reactivity and selectivity/specificity.

Reaction Mechanisms: Basic mechanistic concepts – kinetic versus thermodynamic control, Hammond's postulate and Curtin-Hammett principle. Methods of determining reaction mechanisms through kinetics, identification of products, intermediates and isotopic labelling. Linear free-energy relationship – Hammett and Taft equations. Nucleophilic and electrophilic substitution reactions (both aromatic and aliphatic). Addition reactions to carboncarbon and carbon-heteroatom (N and O) multiple bonds. Elimination reactions. Reactive intermediates – carbocations, carbanions, carbenes, nitrenes, arynes and free radicals. Molecular rearrangements.

Organic Synthesis: Synthesis, reactions, mechanisms and selectivity involving the following classes of compounds – alkenes, alkynes, arenes, alcohols, phenols, aldehydes, ketones, carboxylic acids, esters, nitriles, halides, nitro compounds, amines and amides. Uses of Mg, Li, Cu, B, Zn, P, S, Sn and Si based reagents in organic synthesis. Carbon-carbon bond formation through coupling reactions - Heck, Suzuki, Stille, Sonogoshira, Negishi, Kumada, Hiyama, Tsuji-Trost, olefin metathesis and McMurry. Concepts of multistep synthesis - retrosynthetic analysis, strategic disconnections, synthons and synthetic equivalents. Atom economy and Green Chemistry, Umpolung reactivity – formyl and acyl anion equivalents. Selectivity in organic synthesis – chemo-, regio- and stereoselectivity. Protection and deprotection of functional groups. Concepts of asymmetric synthesis – resolution (including enzymatic), desymmetrization and use of chiral auxiliaries, organocatalysis. Carbon-carbon and carbonheteroatom bond forming reactions through enolates (including boron enolates), enamines and silyl enol ethers. Stereoselective addition to C=O groups (Cram, Prelog and Felkin-Anh models).

Pericyclic Reactions and Photochemistry: Electrocyclic, cycloaddition and sigmatropic reactions. Orbital correlations - FMO and PMO treatments, Woodward-Hoffmann rule. Photochemistry of alkenes, arenes and carbonyl compounds. Photooxidation and photoreduction. Di-π-methane rearrangement, Barton-McCombie reaction, Norrish type-I and II cleavage reaction.

Heterocyclic Compounds: Structure, preparation, properties and reactions of furan, pyrrole, thiophene, pyridine, indole, quinoline and isoquinoline.

Biomolecules: Structure, properties and reactions of mono- and di-saccharides, physicochemical properties of amino acids, chemical synthesis of peptides, chemical structure determination of peptides and proteins, structural features of proteins, nucleic acids, lipids, steroids, terpenoids, carotenoids, and alkaloids.

Experimental techniques in organic chemistry: Optical rotation (polarimetry). Applications of various chromatographic techniques such as thin-layer, column, HPLC and GC. Applications of UV-visible, IR, NMR and Mass spectrometry in the structural determination of organic molecules.

Graduate Aptitude Test In Engineering (GATE) Chemistry - 2007 Solved Paper

Ans. (e) : Given- t _{1/2} = 0.693																															
$t_{1/2} = 0.84$	$\frac{0.693}{k_{1/2}}$	<																													

- **51. N non interacting molecules are distributed among three non degenerate energy levels** ε_0 **=** $\varepsilon_1 = 1.38 \times 10^{-21}$ J and $\varepsilon_2 = 2.76 \times 10^{-21}$ J at 100 **K. If the average total energy of the system at** this temperature is 1.38×10^{-18} J, the number **of molecules in the system is** (a) 1000 (b) 1503 (c) 2354 (d) 2987 **Ans. (a) :** Given Total energy of the system, $v = 1.38 \times$ 10^{-18}] $U = \sum n i E i$ $(Ei = number of particles in the energy level with Ei$ energy value) ni = $\frac{N}{q}$ gie^{-(BEi)} (Boltgmann expression) $U = \frac{N}{q} e^{(-BE_0)} E_0 + \frac{N}{q}$ $\frac{N}{q} \cdot e^{(-BE_1)} + \frac{N}{q}$ $\frac{q}{q}$ e^{(-BE}₂). E₂ $U = \frac{N}{q} e^{(-BE_0)} \times 0 + \frac{N}{q} e^{(-BE_1)} E_1 + \frac{N}{q}$ $\frac{P}{q}$.e^{[B(2E}₁^{)]}.(2E1) $U = \frac{N}{q} E_1 (e^{-BE_1} + 2e^{-B2E_1})$ $U = \frac{N}{q}$. E₁ × q $(q = \sum g i e^{-BE_1})$ $U = NE_1$ $N =$ 1 U E $= \frac{1.38 \times 10^{-18}}{1.28 \times 10^{-21}}$ –21 1.38×10 1.38×10 × × $= 10³$ $= 1000$ **52.** The $J = 0 \rightarrow 1$ rotational transition for ${}^{1}H, {}^{79}Br$ **occurs at 500.72 GHz. Assuming the molecule** to be a rigid rotor, the $J = 3 \rightarrow 4$ transition **occurs at** (a) 50.1 cm^{-1} (b) 66.8 cm^{-1}
(c) 16.7 cm^{-1} (d) 83.5 cm^{-1} (c) 16.7 cm^{-1} **Ans. (b) :** Energy required for transition. $J \longrightarrow J + 1$ (rotational energy level) $\Delta E = 2B(J + 1)$ $\Delta E_{0\to 1} = 2B (J + 1)$ $= 2B$ $2B = \frac{500.72 \times 10^{9} 5^{-1}}{2}$ $\mathcal{C}_{0}^{(n)}$ × $=\frac{500.72\times10^{9}5^{-1}}{2.12^{10}}$ 10 500.72×10^{9} 5⁻¹ 3×10 × × $= 16.69$ cm⁻¹ or B = $\frac{16.69}{2}$ cm⁻¹ $= 8.345$ cm⁻¹ $\Delta E_{3\to 4} = 2B(3 + 1)$ $= 8B$ $= 8 \times 8.345$ $= 66.76$ cm⁻¹ (a) $\frac{k_1(T_2)}{1(T_1)}$ $\overline{(\text{T}_1)}$ (c) $\frac{k_1(T_2)}{1(T_1(T_2))}$ $\overline{ \left(\mathrm{T_{1}}\right) }$ calculation, respectively, $K_1(T_1) =$ Ea_1 RT e $\left(\frac{\text{Ea}_1}{RT}\right)$ $K_1(T_2) =$ 1 2 – En respectively, $K_2(T_1) =$ 2 1 – Ea RT e $\left(\frac{-\text{Ea}_2}{\text{RT}_1}\right)$ $K_2(T_2) =$ 2 2 – Ea RT e $\left(\frac{-\text{Ea}_2}{\text{RT}_2}\right)$ 1^{11} 2^{12} $K_1(T_1)$ $K_2(T_2)$ = 1 1 2 1 – Ea RT – Ea RT e e $\left(\frac{-\text{Ea}_1}{RT_1}\right)$ $\left(\frac{-\text{Ea}_2}{RT_1}\right)$ = \sim \sim $=$ $2 - a_1$ 1 1 $1 \cdot 2$ 2^{12} $K_1(T_2)$ $K_{2}(T_{2})$ = 1 2 2 2 – Ea RT – Ea RT e e = = $2 - r_1$ 2 1 (E_2-E_1) same for both. $2^{-L}1$ 1 1 (E_2-E_1) e^{RT_1} e \rightarrow $2 - 1$ 2 1 or $\frac{R_1(R_1)}{R_1(R_1)}$ 2^{1} $K_1(T_1)$. $K_{2}(T_{1})$ > $1 \cdot 2$ 2^{1} $K_1(T_2)$ $K_{2}(T_{1})$ **equilibrium is** (c) 4 (d) 5
	-

16

53. The rate constants of two reactions at temperature T are $k_1(T)$ and $k_2(T)$ and the **corresponding activation energies are E1 and** E_2 with $E_2 > E_1$. When temperature is raised from T_1 to T_2 , which one of the following **relations is correct?**

(a)
$$
\frac{k_1(T_2)}{k_1(T_1)} = \frac{k_2(T_2)}{k_2(T_1)}
$$
 (b) $\frac{k_1(T_2)}{k_1(T_1)} > \frac{k_2(T_2)}{k_2(T_1)}$
(c) $\frac{k_1(T_2)}{k_1(T_1)} \ge \frac{k_2(T_2)}{k_2(T_1)}$ (d) $\frac{k_1(T_2)}{k_1(T_1)} < \frac{k_2(T_2)}{k_2(T_1)}$

Ans. (d) : Arrhenius equation-
$$
K = Ae^{(-Ea/RT)}
$$

\nInversely, the pre exponential factor 'A' to make simple calculation,
\n• Activation energy 'E', rate constant K_1 at T_1 and T_2
\nrespectively,
\n $K_1(T_1) = e^{\frac{E_1}{RT_1}}$ (i)
\n $K_1(T_2) = e^{\frac{F_1}{RT_2}}$ (ii)
\n $K_2(T_1) = e^{\frac{(-E_2)}{RT_2}}$ (iii)
\n $K_2(T_2) = e^{\frac{(-E_3)}{RT_2}}$ (iv)
\n• According to problem given that, $E_2 > E_1$ and $T_2 > T_1$
\nTaking ratio of (i) and (ii)
\n $\frac{K_1(T_1)}{K_2(T_2)} = \frac{e^{\frac{(-E_3)}{RT_1}}}{e^{\frac{(-E_1)}{RT_1}}} = e^{\frac{E_4}{(E_1 - E_2)}}$
\n $= e^{\frac{1}{RT_1}(E_2 - E_4)}$
\n $= e^{\frac{1}{RT_1}(E_2 - E_4)}$ (v)
\nTaking ratio of (ii) and (iv)
\n $\frac{E_1(T_2)}{K_2(T_2)} = \frac{e^{\frac{E_3}{RT_1}}}{e^{\frac{E_3}{RT_1}}} = e^{\frac{-E_3}{RT_2} + \frac{E_3}{RT_2}}$
\n $= e^{\frac{1}{RT_1}(E_2 - E_1)}$
\n $= e^{\frac{1}{RT_1}(E_2 - E_1)}$ (vii)
\nGiven that $T_2 > T_1$, hence, $\frac{1}{RT_1} > \frac{1}{RT_2}$ and $(E_2 - E_1)$ is
\nsame for both.

17

- **69. Treatment of the pentapeptide Gly-Arg-Phe-Ala-Ala, in separate experiments, with the enzymes Trypsin, Chymotrypsin and Carboxypeptidase A respectively, gives**
	- (a) Gly-Arg+Phe-Ala-Ala ; Gly-Arg -Phe+Ala-Ala ; Gly-Arg-Phe-Ala+Ala
	- (b) Gly-Arg-Phe+Ala-Ala ; Gly-Arg -Phe+Ala-Ala ; Gly-Arg-Phe-Ala+Ala
	- (c) Gly-Arg+Phe-Ala-Ala ; Gly-Arg -Phe+Ala-Ala ; Gly-Arg-Phe+Ala-Ala
	- (d) Gly-Arg+Phe-Ala-Ala ; Gly-Arg -Phe+Ala-Ala ; Gly+Arg-Phe-Ala+Ala

Ans. (a) : The highly specific protease trypsin is used to hydrolyse a protein completely. Proteolysis is carried out with high level of trypsin to ensure total proteolysis. It cleaves the peptide bond between –COOH group of Arginine or carbonylic group of lysine and the amino group of adjacent amino acid. Cleavage does not occur when lysine or arginine is followed by proline.

$$
Gly \longrightarrow \text{Arg} \xrightarrow{\text{S}} \text{Phe} \longrightarrow \text{Ala} \longrightarrow \text{Ala} \xrightarrow{\text{Trypsin}} Gly \longrightarrow \text{Arg} \longrightarrow \text{Phe} \longrightarrow \text{Ala} \longrightarrow \text{Ala}
$$

Chymotrypsin is an anzyme of family called serine protease. It cleaves on the C–terminal phemyl alanine, tryptophan and tyrosine on peptide chain. It shows specificity towards aromatic amino acids because of its hydrophobic pocket.

Gly—Arg—Phe
$$
\leq
$$
Ala
\nChymotrypsin
\nGly—Arg—Phe+Ala—Ala
\nCarboxypeptidase-A generally cleaves off aromatic or
\nbranched chain amino acids.
\nGly—Arg—Phe—Ala \leq Ala
\nCarboxypeptidase
\nGly—Arg—Phe—Ala+Ala

70. Hordenine (X), an alkaloid, undergoes Hoffman degradation to give compound (Y).

OH CH2CH2N(CH3)2 (X)

 (Y) on treatment with alkaline permanganate gives (Z). Y and Z respectively are

24

(ii) One molecule of borazine adds 3 molecules of HCl or HBr in the cold without a catalyst. These molecules gets attached with all the three B atoms of borazine, since B atom is more electronegative than N is $B - N$ or $B = N$ bond.

$$
B_3N_3H_6+3HCl \longrightarrow B_3N_3H_9Cl_3
$$

(iii) Borazine is more reactive than benzene towards electrophilie aromatic substitution reactions because in borazine molecule nitrogen is more electronegative than boron. Nitrogen aquires partial negative charge and boron aquires partial positive charge and boron bonding takes place between boron and nitrogen, and it is more as compared with benzene because borazine is less soluble and more reactive towards electrophilic aromatic substitution reaction.

(iv) Borazine is polymerised into polyborazylene by heating it at 70° C. The polymer is formed when borazine loses some hydrogen atoms from its sides.

$$
nB_3N_3H_6 \to \frac{1}{n}[B_3N_3H_6]
$$

Linked Answer Questions 82 & 83 :

82. Consider a particle of mass of moving in a onedimensional box under the potential $V = 0$ for 0 ≤ **x** ≤ **a and V =** ∞ **outside the box. When the particle is in its lowest energy state the average momentum** $(\langle P_{x} \rangle)$ **of the particle is**

(a)
$$
\langle p_x \rangle = 0
$$

\n(b) $\langle p_x \rangle = \frac{h}{a}$
\n(c) $\langle p_x \rangle = \frac{h}{2a}$
\n(d) $\langle p_x \rangle = \frac{h}{2\pi a}$

Ans. (a) : Either inside a box, hydrogen kike atom or for S.H.O. average value of momentum is always zero. Hence,

 $\langle P_{X} \rangle = 0$

A particle in one dimensional box in ground state, $n = 1$

From, $\Psi_1 = \sqrt{\frac{2}{a}} \sin \left(\frac{\pi x}{a} \right)$ $\Psi_1 = \sqrt{\frac{2}{a}} \sin\left(\frac{\pi x}{a}\right)$

For a normalized wave function a La La L

$$
\langle p \rangle = \int_{0}^{\pi} \Psi_{1} \left| \frac{h}{2\pi i} \cdot f \frac{d}{dx} \right| \Psi_{x}
$$

$$
= \frac{h}{2\pi i} \int_{0}^{a} \left(\frac{2}{a} \right) \sin \left(\frac{\pi x}{a} \right) \left| \frac{a}{ax} \right| \sin \left(\frac{\pi x}{a} \right) dx
$$

$$
= \frac{h}{2\pi i} \left(\frac{\pi}{a} \right) \int_{0}^{a} \left(\frac{2}{a} \right) \sin \left(\frac{\pi x}{a} \right) \cos \left(\frac{\pi x}{a} \right) dx
$$

= 0

83. The uncertainty in the momentum (Δp_x) of the **particle in its lowest energy state is**

> (a) $\Delta \pi_x = 0$ (b) $\Delta p_x = \frac{h}{a}$ Δp_x =

(c) $\Delta p_x = \frac{h}{2a}$ (d) Δp_x $p_x = \frac{h}{2\pi a}$ $\Delta p_x = \frac{H}{2\pi}$

Ans. (c) : We know that either inside a box, hydrogen like atom or for S.H.O, the average value of momentum,

$$
\langle px \rangle = 0
$$

$$
\langle px^2 \rangle = \frac{n^2h^2}{4a^2}
$$

The uncertainty in the momentum of the particle,

$$
\Delta px = \sqrt{2px^{2}} > -2px >^{2}
$$

$$
= \sqrt{\frac{n^{2}h^{2}}{4a^{2}}} = \frac{nh}{2a}
$$

Linked Answer Questions 84 & 85 :

84. In the mixture obtained by mixing 25.0 mL 1.2 \times 10⁻³ M MnCl₂ and 35.0 mL of 6.0 \times 10⁻⁴ M **KCl solution the concentrations (M) of Mn2+ , K 2 and Cl– ions respectively are**

(a)
$$
6.0 \times 10^{-4}
$$
, 3.0×10^{-4} , 1.5×10^{-3}
\n(b) 6.0×10^{-4} , 3.0×10^{-4} , 9.0×10^{-4}
\n(c) 5.0×10^{-4} , 3.5×10^{-4} , 1.35×10^{-3}
\n(d) 5.0×10^{-4} , 3.5×10^{-4} , 8.5×10^{-4}

Ans. (c) : Given,

25 mL of
$$
1.2 \times 10^{-3}
$$
, MnCl₂
35 mL 6.0×10^{-4} M, KCl
 $= 0.6 \times 10^{-3}$ M KCl

After mixing–

 Total Volume = 25 ml + 35 ml = 60 ml

$$
\frac{1}{2}
$$

Now concentration of $Mn^{2+} = \frac{1.2 \times 10^{-3} \times 25}{6}$ 60 $=\frac{1.2\times10^{-3}\times}{\sqrt{2}}$ $= 5.0 \times 10^{-4}$ M

In case of KCl Solution,

Concentration of K⁺ =
$$
\frac{6 \times 10^{-4} \times 35}{60}
$$

= 3.5 × 10⁻⁴ M

MnCl₂ on ionization will give 2Cl⁻ ions and KCl will give one Cl⁻ ion per molecule, so the counteraction to Cl[–] ions = $(2 \times 5 \times 10 - 4 + 3.5 \times 10^{-4})$ $= 1.35 \times 10^{-3}$ M

85. The activity (M) of Mn2+ ions in the above solution is

(a) 1.0×10^{-4} (b) 2.0×10^{-4} (c) 3.0×10^{-4}

(d) 4.0×10^{-4}

Ans. (d) : For a dilute solution activity of an ion = γ m γ = activity coefficient (For dilute solution, γ = 1) activity = Molality \simeq Molarity $= 5 \times 10^{-4}$ (closer value)

Graduate Aptitude Test In Engineering (GATE) Chemistry - 2008 Solved Paper

